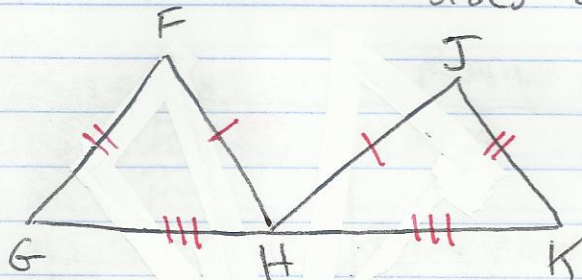


Proving $\cong \Delta s$

Congruent Δs $\left\{ \begin{array}{l} \textcircled{1} \text{ corresponding } \angle s \cong \\ \textcircled{2} \text{ corresponding sides } \cong \end{array} \right.$

Side-side-side (SSS) \rightarrow all 3 sets of corresponding sides are $\cong \rightarrow \Delta s$ are \cong .



Given: $\overline{HF} \cong \overline{HJ}$
 $\overline{FG} \cong \overline{JK}$

H is the midpoint of \overline{GK} .

Prove: $\Delta GFH \cong \Delta KJH$

Plan: prove $\Delta s \cong$ by SSS.

Proof: (Flow proof)

$$\boxed{\overline{HF} \cong \overline{HJ}}$$

Given

$$\boxed{\overline{GH} \cong \overline{HK}}$$

Definition of
Midpoint

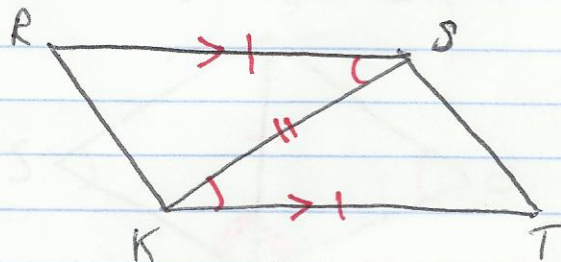
$$\boxed{\overline{FG} \cong \overline{JK}}$$

Given

$$\boxed{\Delta GFH \cong \Delta KJH}$$

SSS

Side-Angle-Side (SAS): If two pairs of corresponding sides and their included \angle are congruent, then the Δ s are \cong .



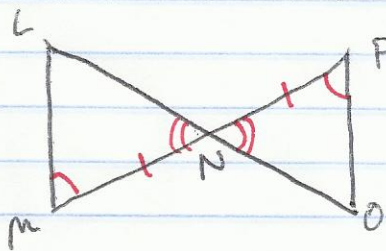
Given: $\overline{RS} \cong \overline{KT}$
 $\overline{RS} \parallel \overline{KT}$

Prove: $\Delta RSK \cong \Delta TSK$

Two-column
Proof

Statements:	Reasons
① $\overline{RS} \cong \overline{KT}$ (S) $\overline{RS} \parallel \overline{KT}$	① Given
② $\overline{KS} \cong \overline{KS}$ (S)	② Reflexive property of \cong .
③ $\angle RSK \cong \angle SKT$ (A)	③ Alternate-Interior \angle s Theorem
④ $\Delta RSK \cong \Delta TSK$ (order matters)	④ SAS

Angle-Side-Angle (ASA): If 2 angles of a Δ , and their included side, are \cong to 2 angles and the included side of another Δ , then the Δ s are \cong .

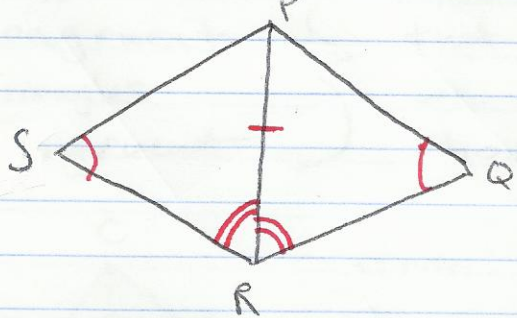


Given: $\angle M \cong \angle P$; $\overline{MN} \cong \overline{NP}$

Prove: $\Delta LMN \cong \Delta OPN$

Statements	Reasons
① $\angle M \cong \angle P$; $\overline{MN} \cong \overline{NP}$	① Given
② $\angle PNO \cong \angle LNM$	② Vertical \angle s are \cong .
③ $\Delta LMN \cong \Delta OPN$	③ ASA

Angle-Angle-Side (AAS) - If 2 \angle s and the non-included side of a Δ are \cong to 2 \angle s and the non-included side of another Δ , then the Δ s are \cong .



Given: $\angle S \cong \angle Q$
 \overline{RP} bisects $\angle SRQ$

Prove: $\Delta SRP \cong \Delta RQP$

Statements	Reasons
① $\angle S \cong \angle Q$ \overline{RP} bisects $\angle SRQ$	① Given
② $\angle SRP \cong \angle RQP$	② Definition of bisects
③ $\overline{PR} \cong \overline{PR}$	③ Reflexive Property of \cong .
④ $\Delta SRP \cong \Delta RQP$	④ AAS

★ NOT a way to prove \cong Δ s \rightarrow ~~Side-Side-Angle~~